

Darcs and GADTs

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Credit Suisse

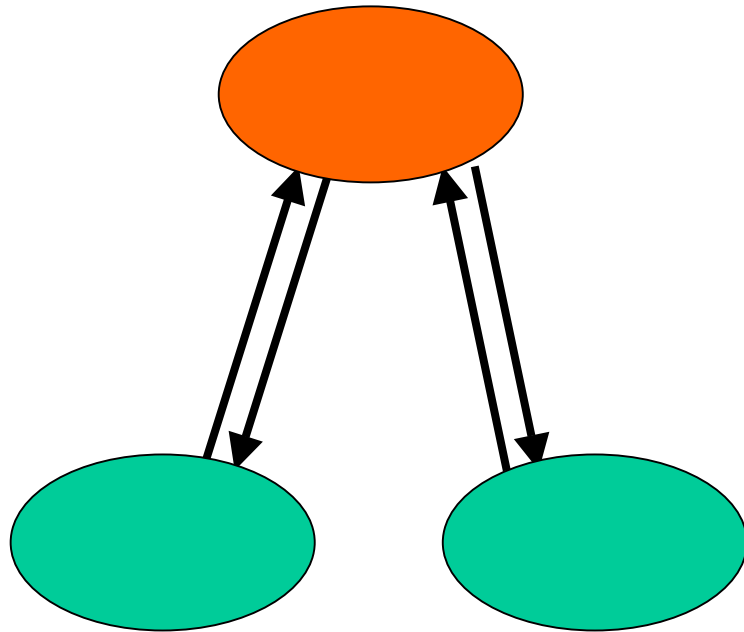
Outline

- Darcs
- GADTs
- How GADTs help darcs

Version control systems

- Keep a history of changes to a project
- A basis for collaboration
 - Lock based
 - Merge based

Centralised VCS



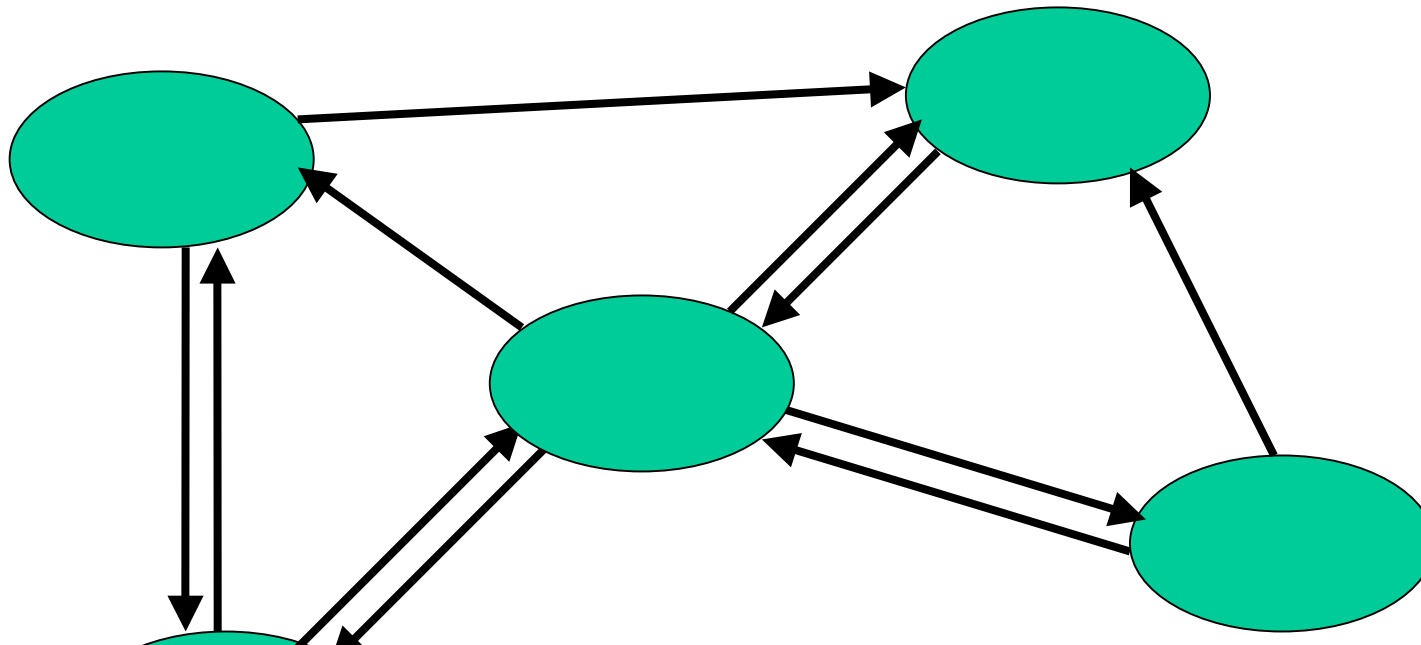
CVS

Subversion (SVN)

Clearcase

...

Distributed VCS



Arch

Mercurial

Bzr

Git

Darcs

...

Tree-based merging

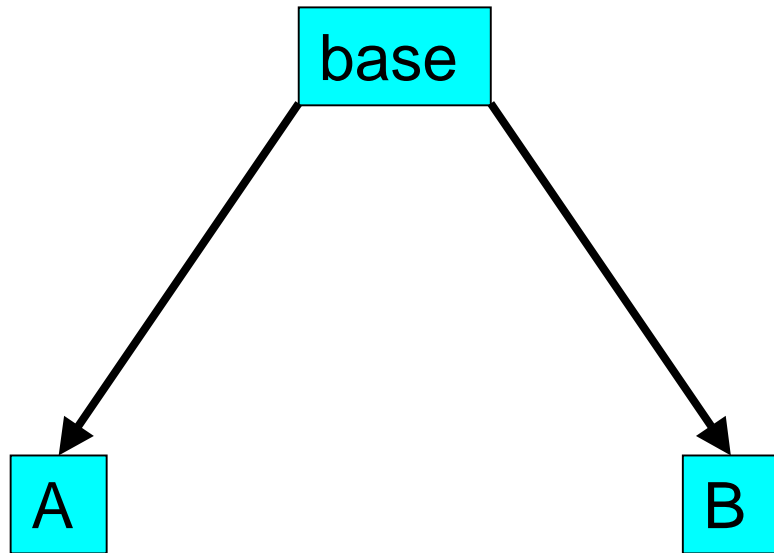
A

B

result?

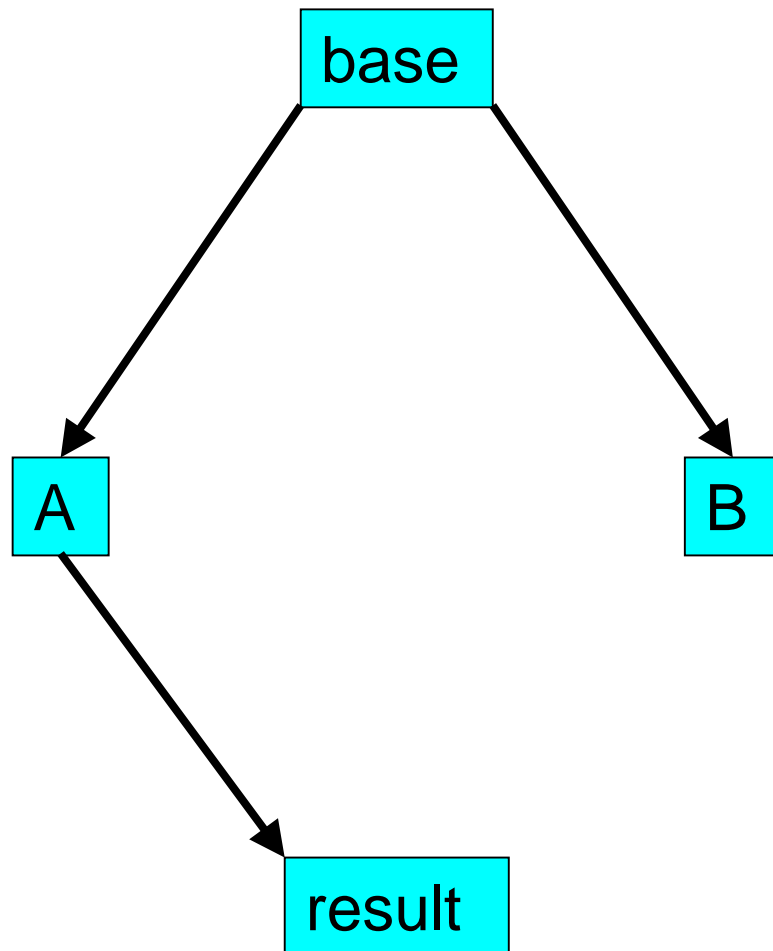
Tree-based merging

- Find base



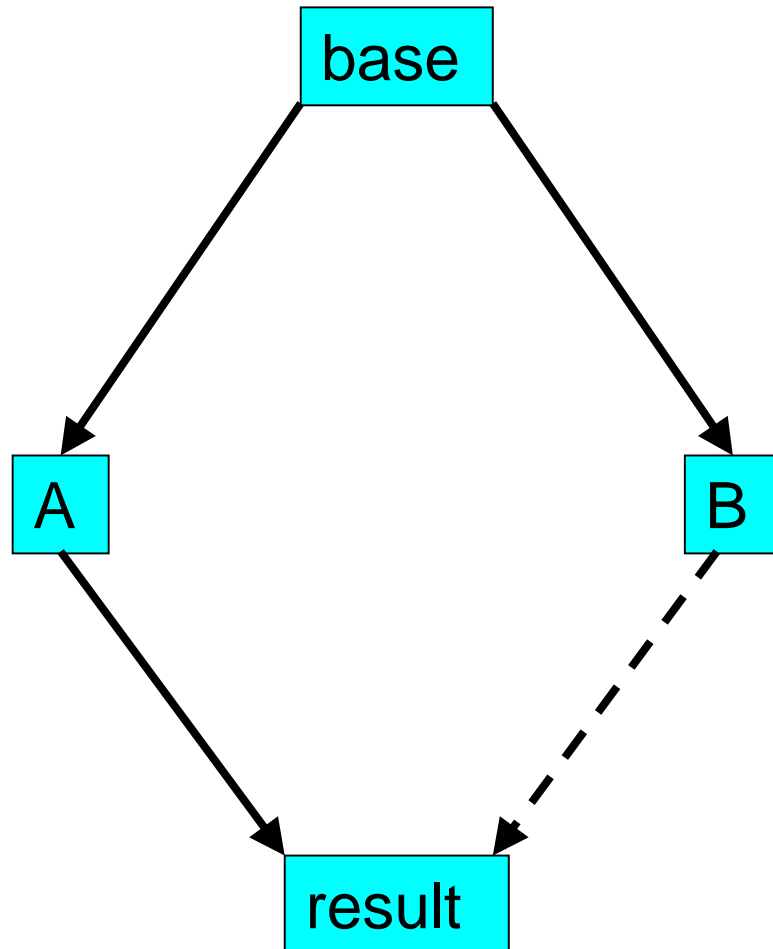
result?

Tree-based merging



- Find base
- Calculate diffs
- Adjust offsets
- Apply

Tree-based merging



- Find base
- Calculate diffs
- Adjust offsets
- Apply

Tree-based merging

- Base can be hard to find
 - Can have to artificially construct it
- Ignores the intermediate revisions
 - Not compositional
- Can choose algorithm at time of merge

Patch-based merging

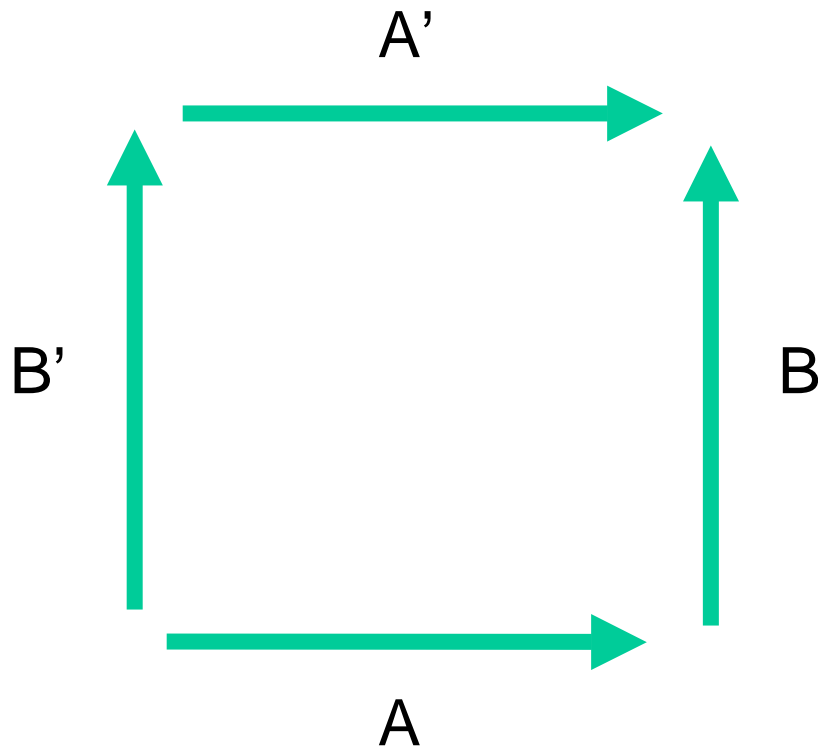
- Each revision is viewed as a “patch” against the previous version
- Merge algorithm is locked in when patch is created
 - “Intelligent” patch types like token replace
- Sequences of revisions merged by merging individual patches
 - Results repeatable and compositional

Darcs

- Repo is conceptually a set of patches
- Representation places them in an order
 - Only some orders are valid
- Push and pull patches between repos
- Branches are just repos with different sets of patches
 - Merge = take the union

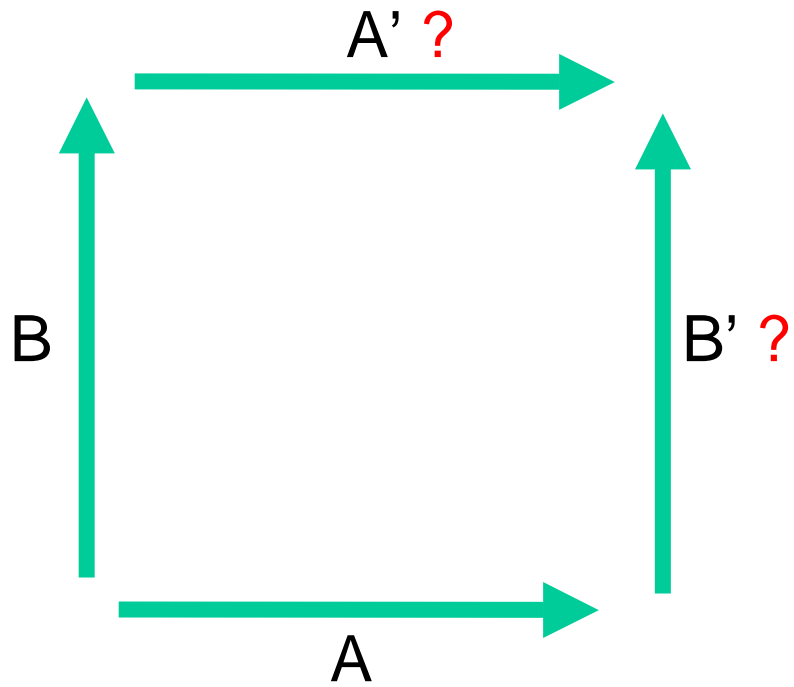
Commutation

$$AB \leftrightarrow B'A'$$

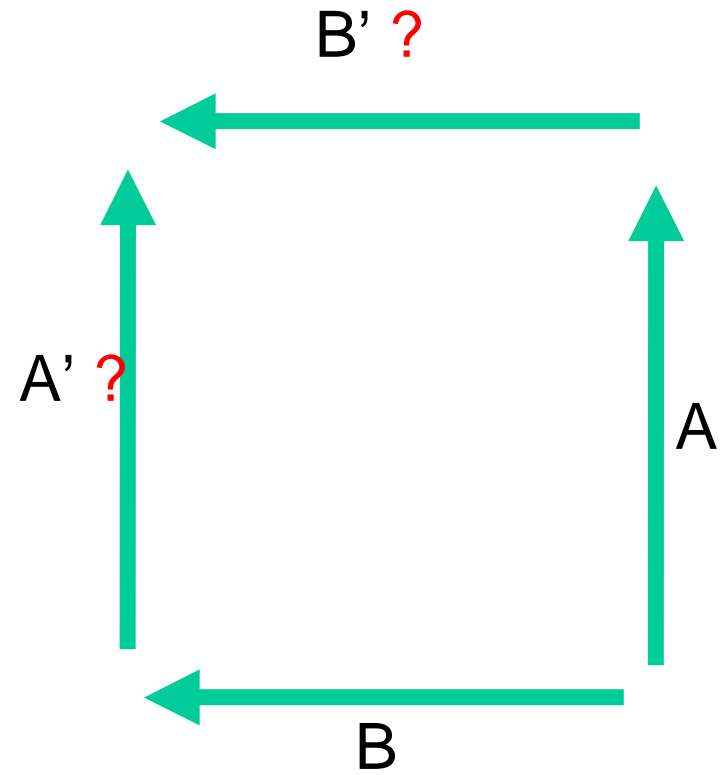
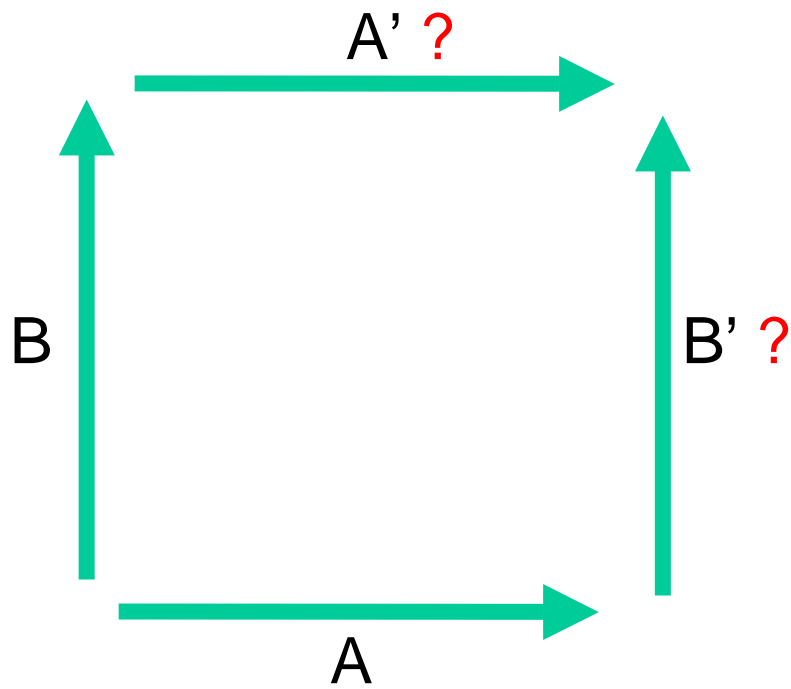


Makes *cherry-picking* easy

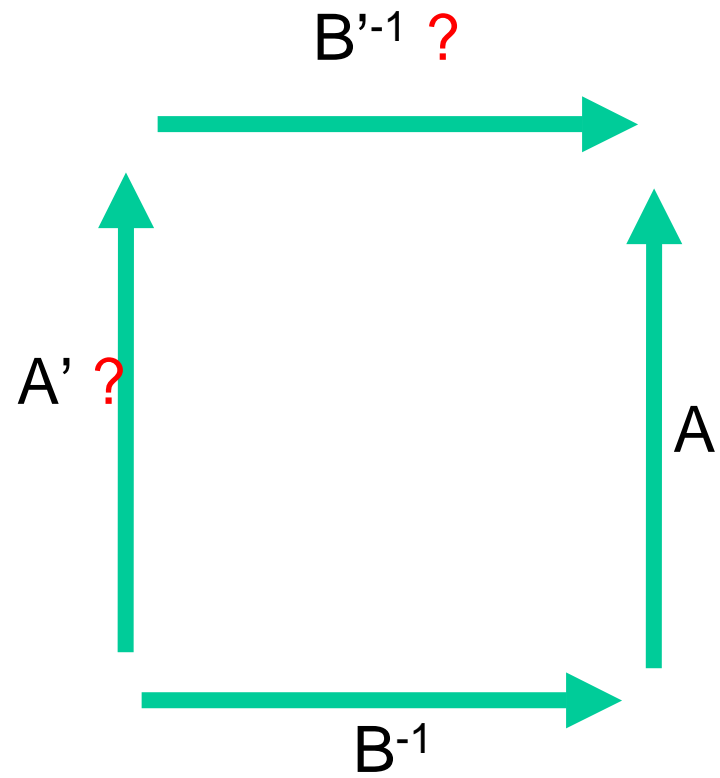
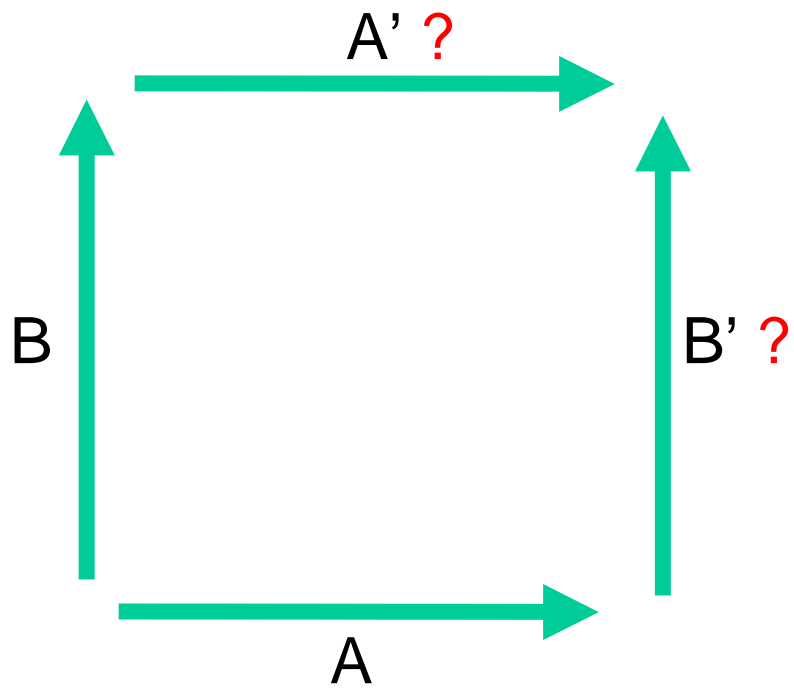
Merging



Merging



Merging



Patch theory

- Set of rules about how patches behave
- Not yet properly understood
 - Very few theorems
- Notation a bit confusing

Some basic properties

$$AB \iff B'A'$$

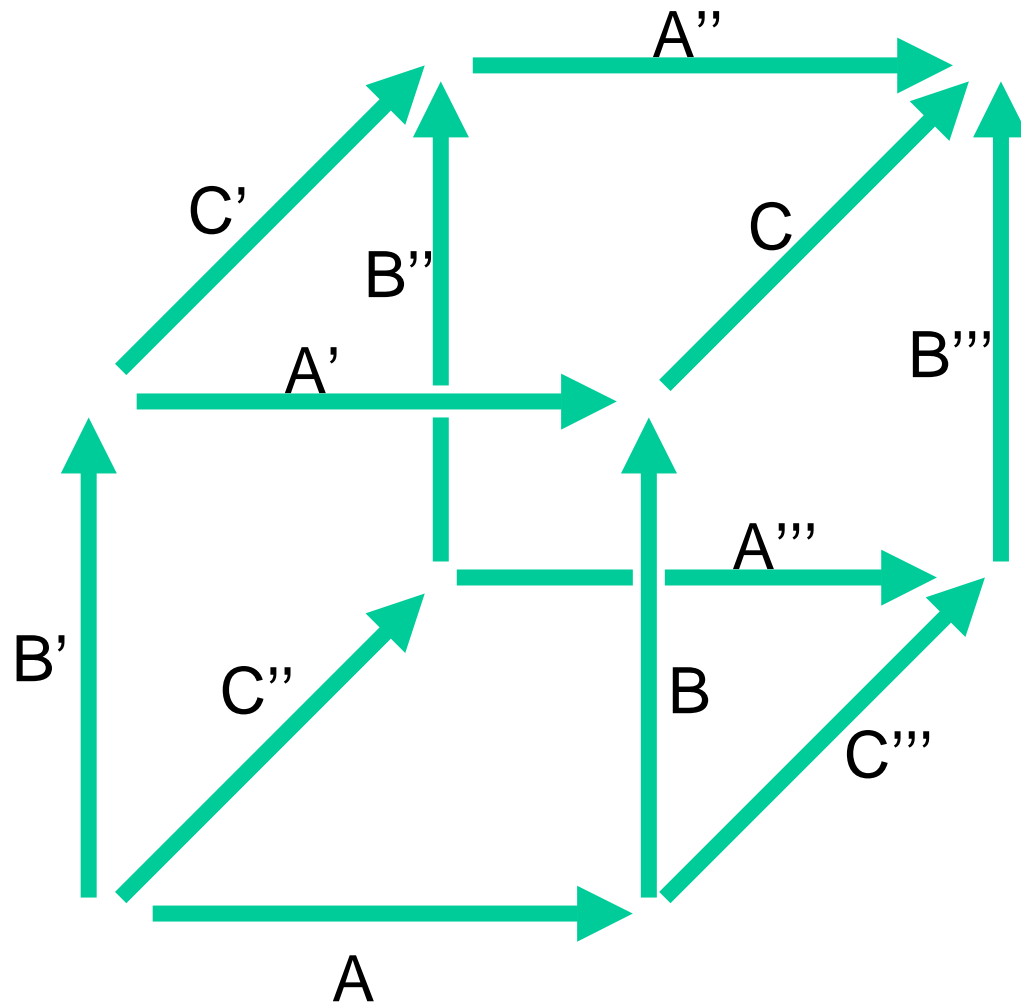


$$B'A' \iff AB$$

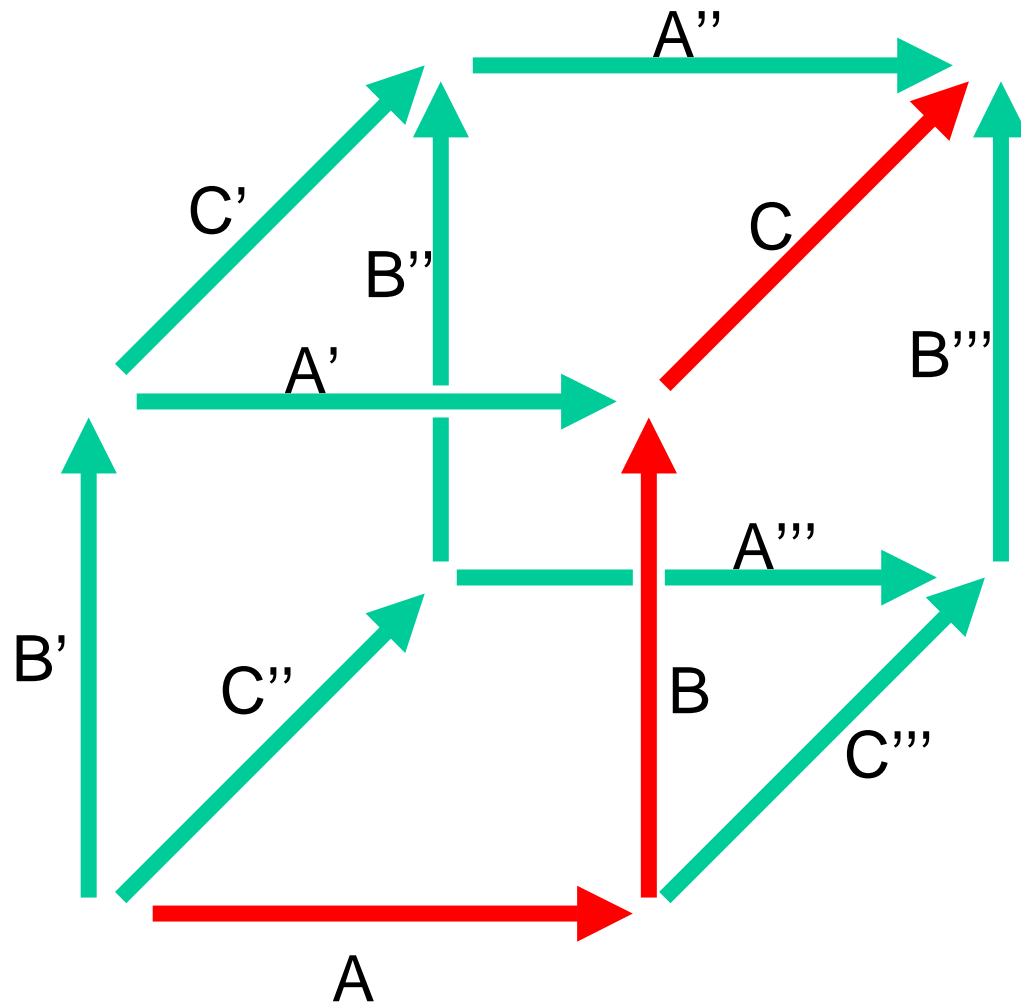


$$B'^{-1}A \iff A'B^{-1}$$

“Permutivity”

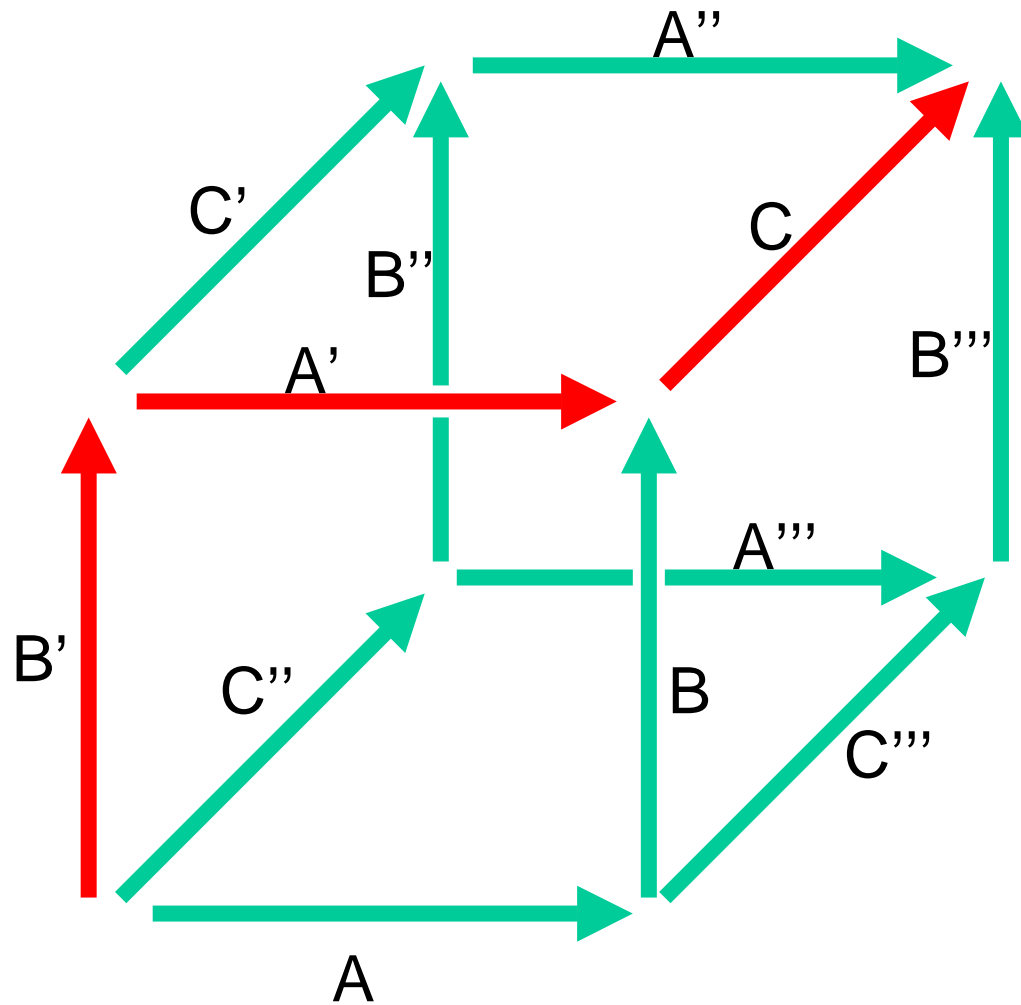


“Permutivity”



ABC

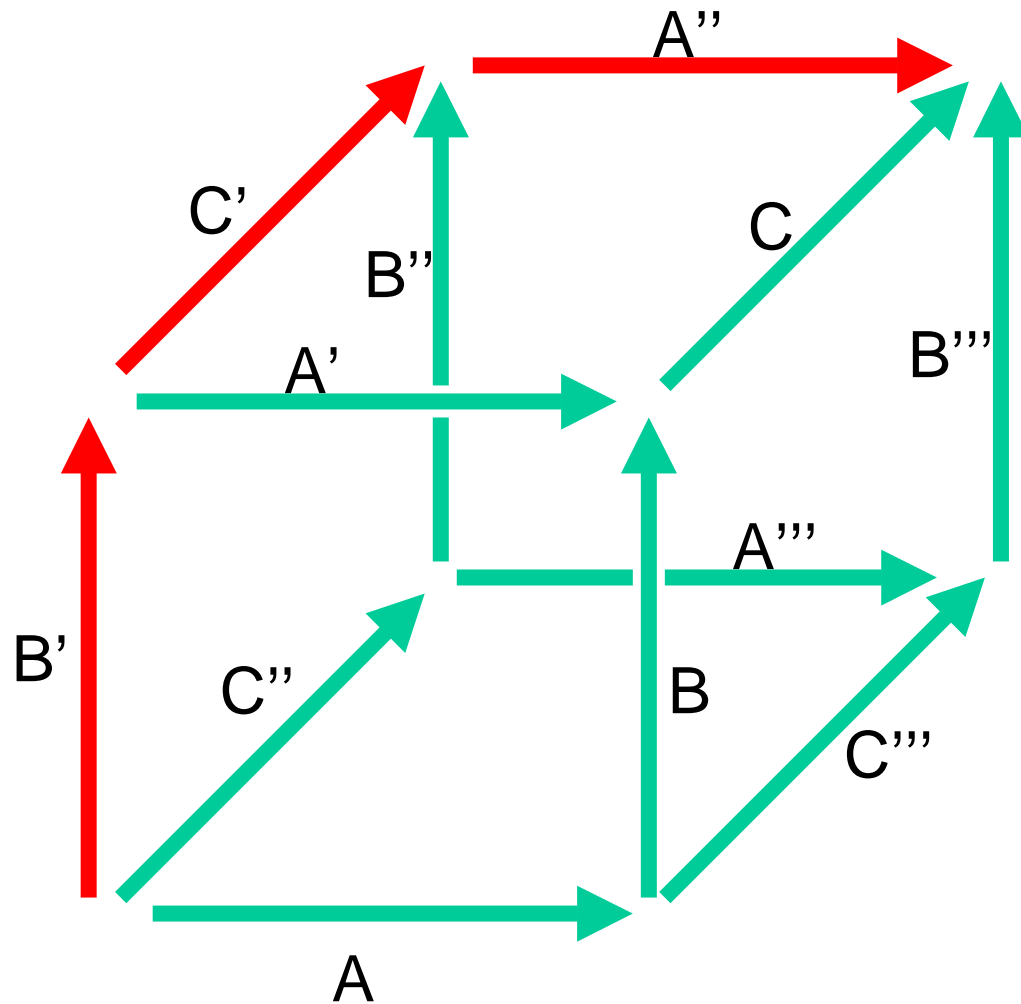
“Permutivity”



ABC

B'A'C

“Permutivity”

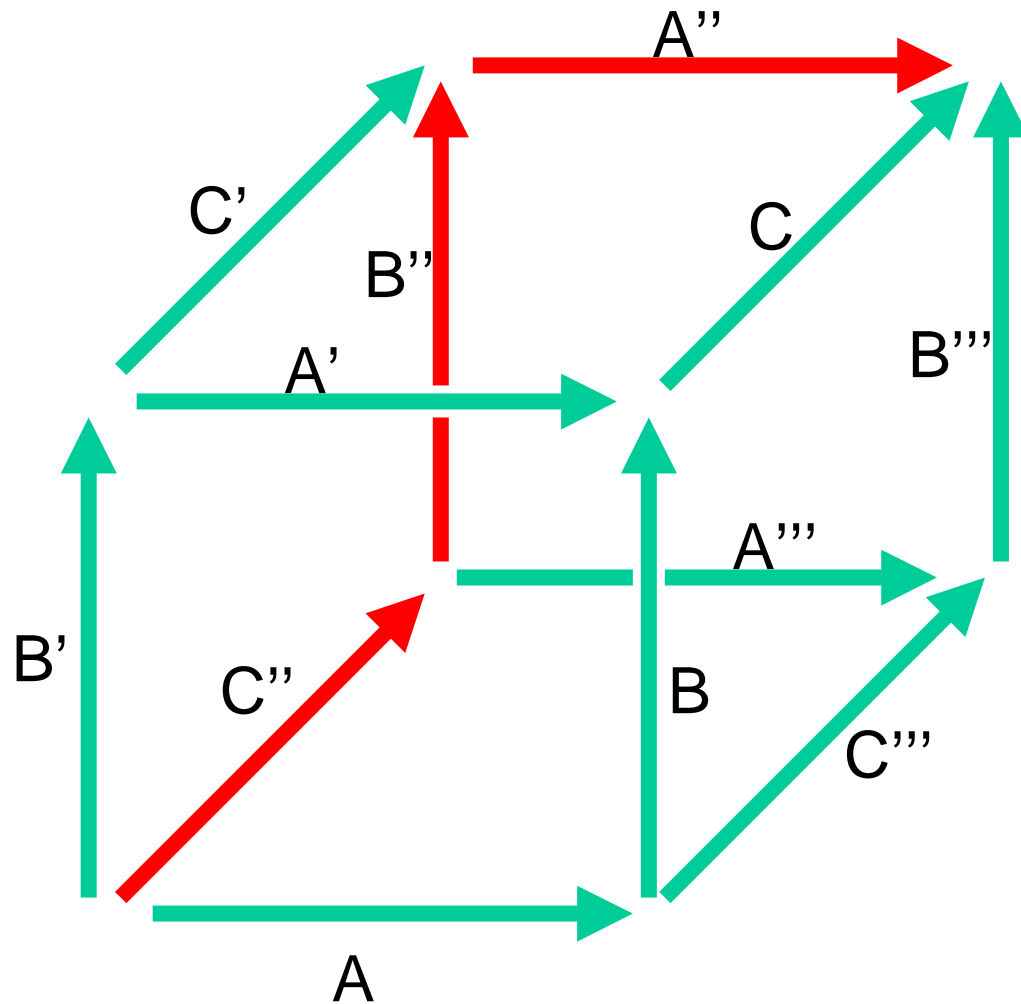


ABC

B'A'C

B'C'A''

"Permutivity"



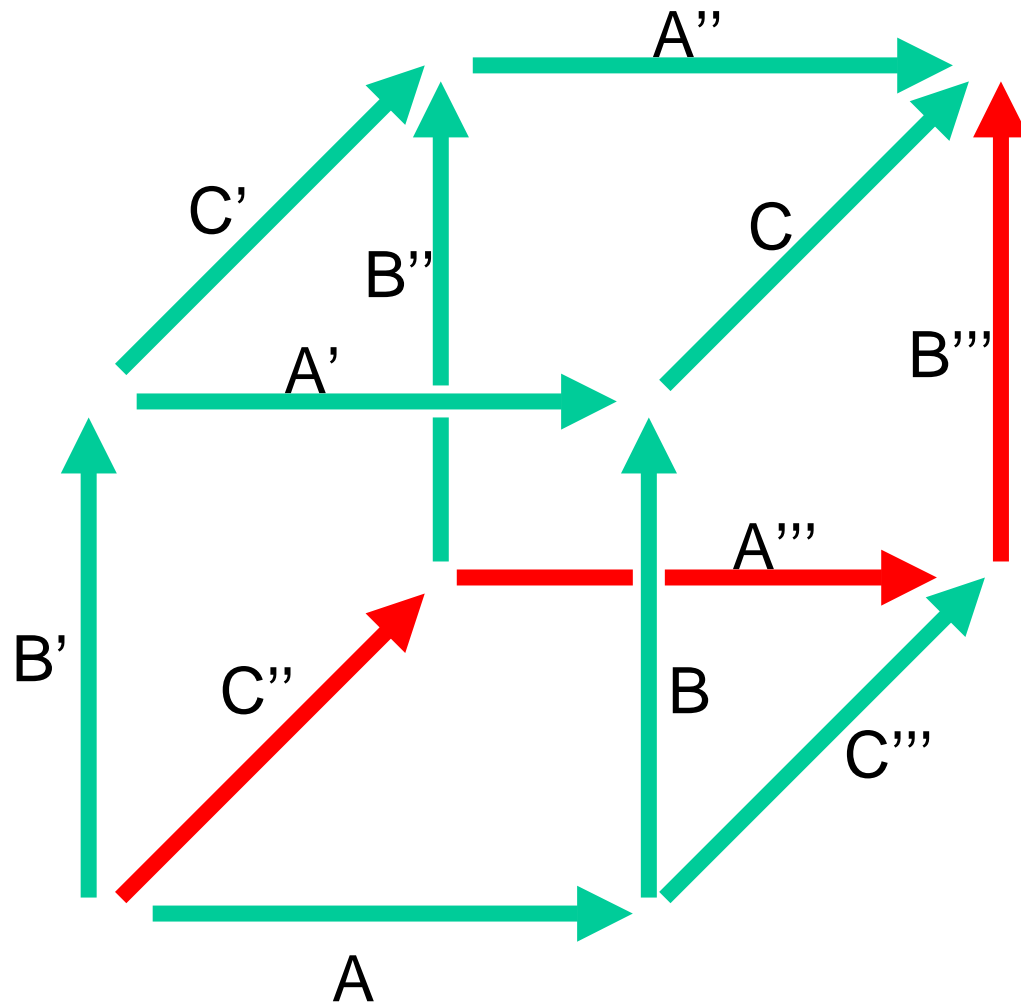
ABC

B'A'C

B'C'A''

C''B''A''

"Permutivity"



ABC

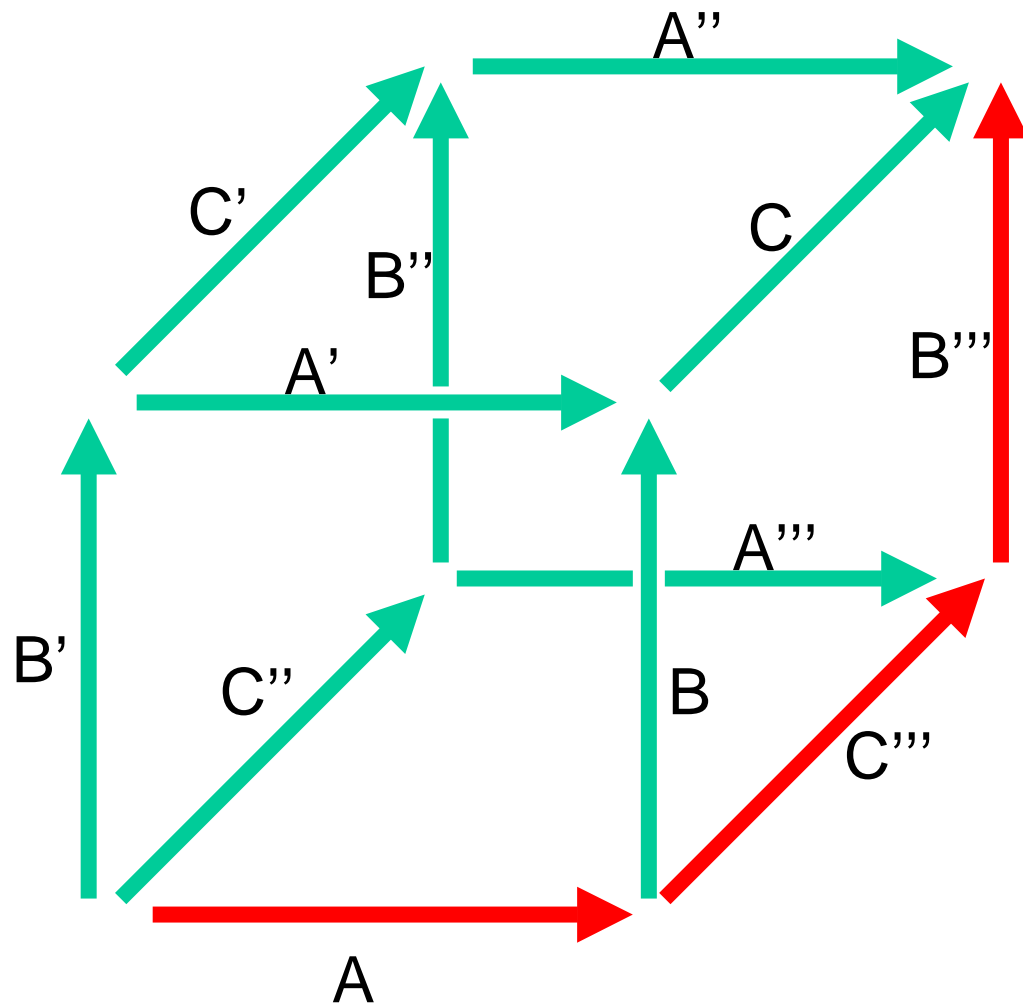
B'A'C

B'C'A''

C''B''A''

C''A'''B'''

"Permutivity"



ABC

B'A'C

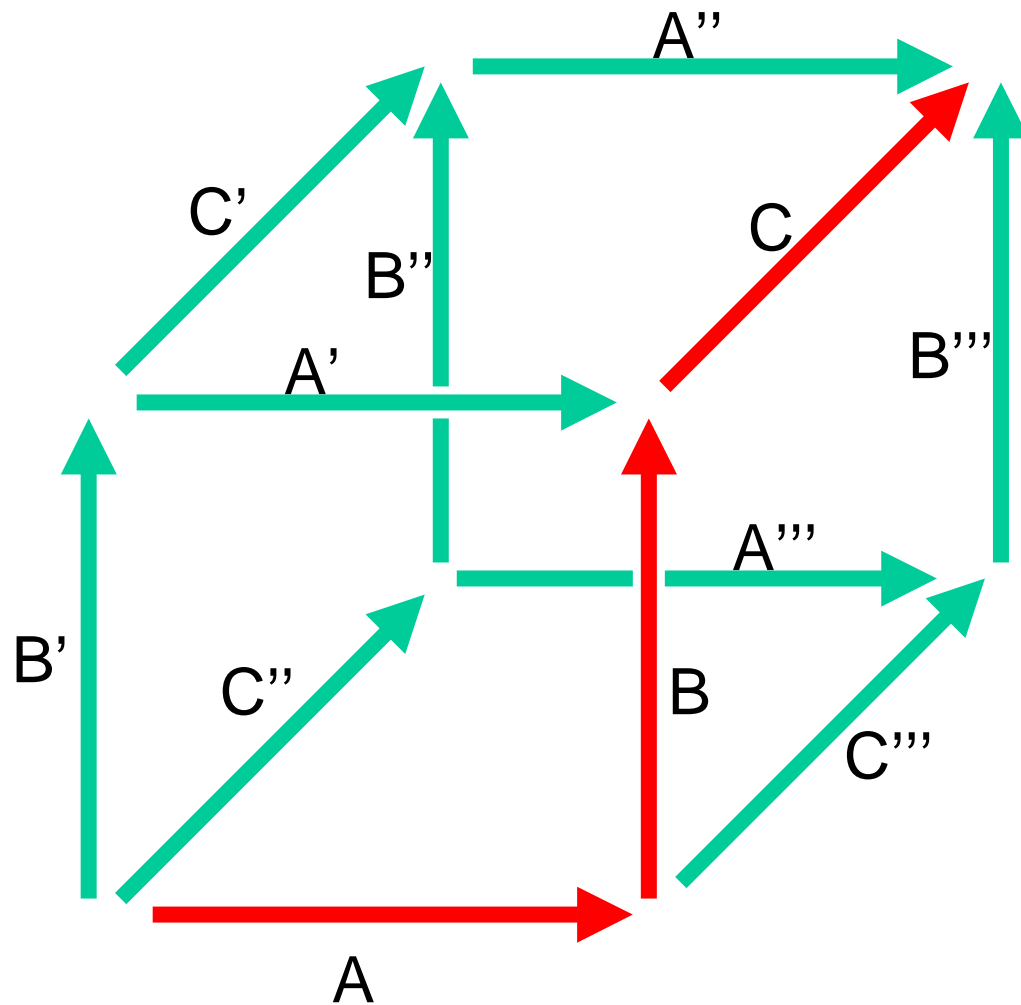
B'C'A''

C''B''A''

C''A'''B'''

A''''C''''B''''

“Permutivity”



ABC

B'A'C

B'C'A''

C''B''A''

C''A'''B'''

A''''C''''B''''

A''''B''''C''''

Some GHC extensions

ADT

```
data Expr t =  
  Const t  
  | Times (Expr t) (Expr t)
```

Times (Const 'a') (Const 'b') ??

Algebraic = unrestricted sums and products

ADT

with new syntax

data Expr t where

Const :: t → Expr t

Times :: Expr t → Expr t → Expr t

Times (Const 'a') (Const 'b')

??

Algebraic = unrestricted sums and products

GADTs

data Expr t where

Const :: t → Expr t

Times :: Expr Int → Expr Int → Expr Int

Times (Const 'a') (Const 'b')



*Generalised algebraic = **restricted** sums and products*

“Existential” types

data Number = forall x . Num x \Rightarrow Number x

Number (5 :: Int)

Number (5.0 :: Double)

...

We can construct Number using any x in Num

“Existential” types

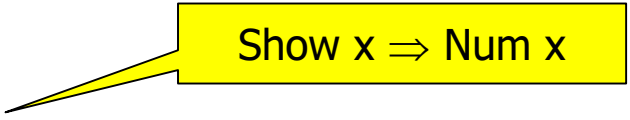
data Number = forall x . Num x \Rightarrow Number x

inc :: Number \rightarrow Number

inc (Number a) = Number (a+1)

instance Show Number where

show (Number a) = show a



Show x \Rightarrow Num x

When we use Number, we only know that x is in Num

Existential types, GADT style

```
data Number = forall x . Num x => Number x
```



```
data Number where  
  Number :: Num x => x -> Number
```

Putting these types to work

Working with patches

AB \longleftrightarrow B'A'

commute :: Patch \rightarrow Patch \rightarrow Maybe (Patch, Patch)

data Patch where

Null :: Patch

Seq :: Patch \rightarrow Patch \rightarrow Patch

...

Working with patches

$(AB)C \longleftrightarrow ?$

`commute :: Patch → Patch → Maybe (Patch, Patch)`

`commute (Seq a b) c`

`= do (a', c') ← commute a c`

`(b', c'') ← commute b c'`

`return (Seq a' b', c'')`

Working with patches

$(AB)C \longleftrightarrow ?$

`commute :: Patch → Patch → Maybe (Patch, Patch)`

`commute (Seq a b) c`

`= do (b', c') ← commute b c`

`(a', c'') ← commute a c'`

`return (Seq a' b', c'')`

GADT

data Patch x y where

Null :: Patch x x

Seq :: Patch x y → Patch y z → Patch x z

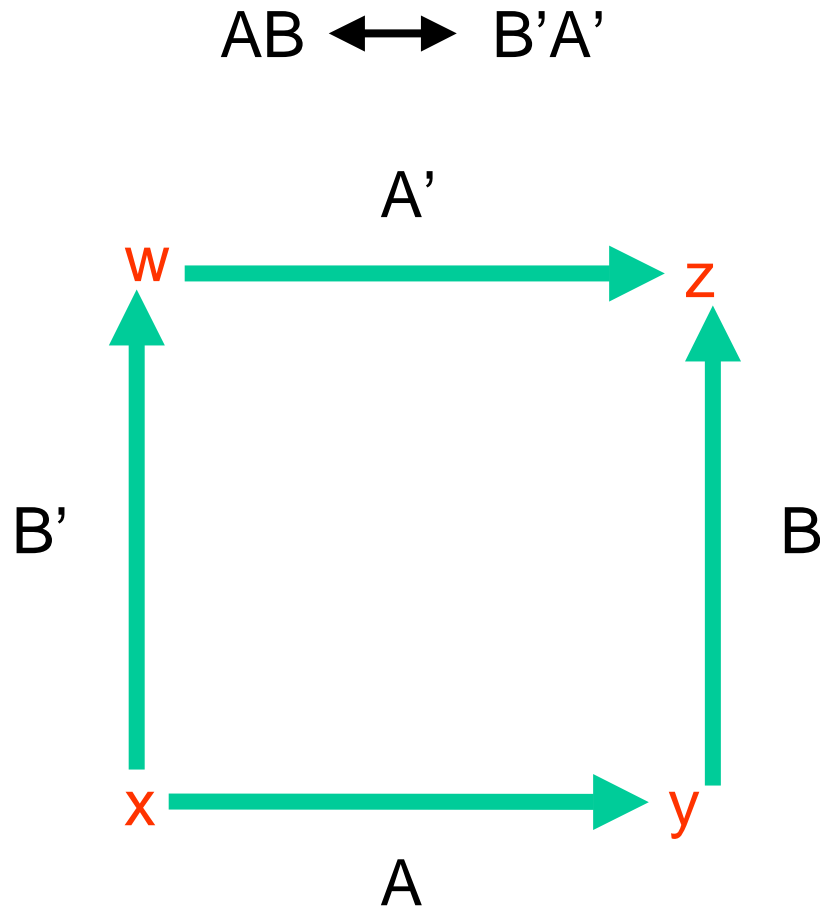
...

commute :: Patch x y → Patch y z

→ Maybe (Patch x w, Patch w z)

Phantom types represent the repository state

What's going on?



commute ::

Patch $x y \rightarrow$

Patch $y z \rightarrow$

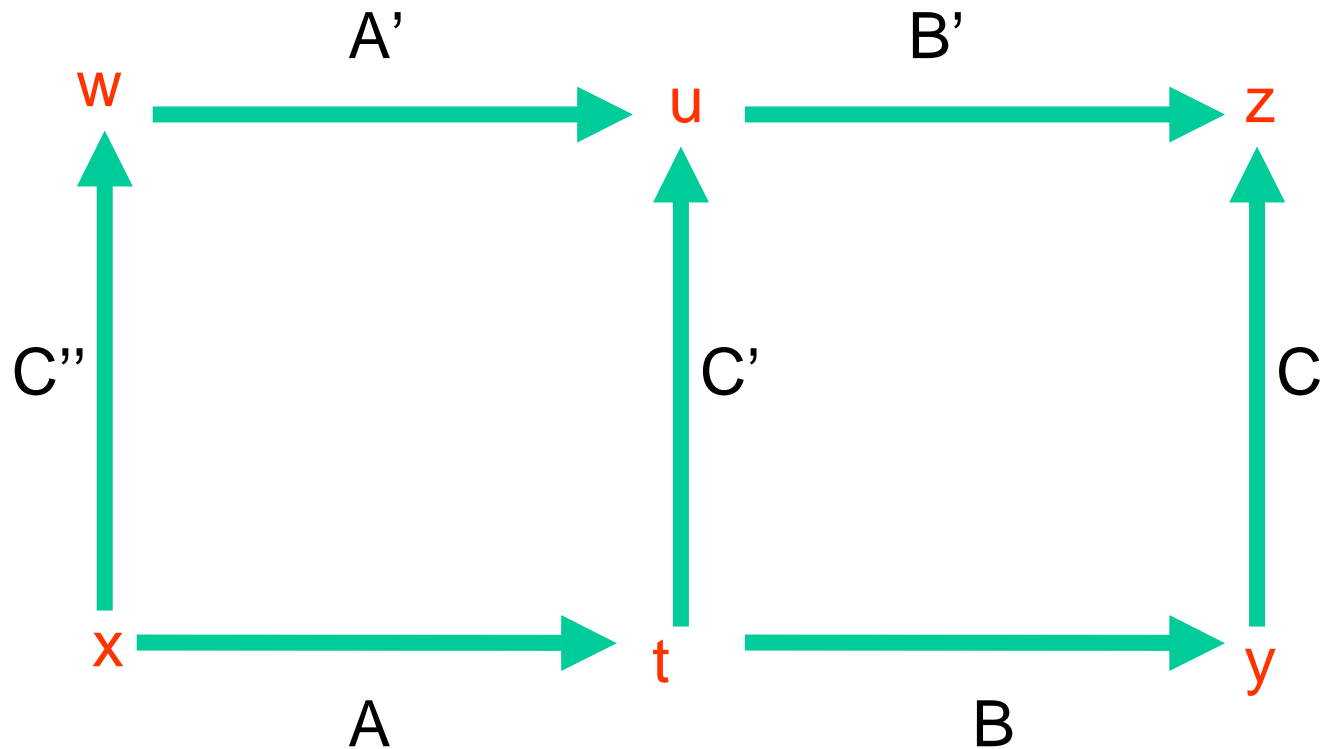
Maybe

(Patch $x w$,

Patch $w z$)

Safer commute

commute :: Patch $x\ y \rightarrow$ Patch $y\ z$
 \rightarrow Maybe (Patch $x\ w$, Patch $w\ z$)



So is it actually useful?

- Upcoming darcs 2.0 release
 - Rewrite of conflict handling code
 - Conditionally compiled with GADTs
 - Very positive influence:
 - Conversion process found at least one bug in existing code
 - “very valuable in exploratory development”

Limitations

- There have to be “unsafe” operations in some places
 - e.g. when constructing “primitive” patches
 - Cordon those off to a small number of cases, and use comments to explain ourselves
- Working with GADTs can be painful
 - Extra type signatures
 - Confusing error messages

The end

Sealing

commute :: Patch x y → Patch y z
→ Maybe (Patch x w, Patch w z)

Sealing

commute :: forall x y w z

. Patch x y → Patch y z

→ Maybe (Patch x w, Patch w z)

Sealing

```
commute :: forall x y w z
         . Patch x y → Patch y z
         → Maybe (Patch x w, Patch w z)
```

```
data CommutePair x y where
  CommutePair :: Patch x y → Patch y z
              → Patch x z
```

Sealing

```
commute :: forall x z
         . CommutePair x z
         → Maybe (CommutePair x z)
```

```
data CommutePair x y where
  CommutePair :: Patch x y → Patch y z
              → Patch x z
```

Data structures

data FL p x y where

NilFL :: FL p x x

ConsFL :: FL p x y → FL p y z → FL p x z

data Tree p x where

NilTree :: Tree x

SeqTree :: p x y → Tree y → Tree x

ParTree :: Tree x → Tree x → Tree x

DAGs

- Based on Martin Erwig's inductive graphs